

Section Overview

Determining the Slope of a Line

Lesson 3-5

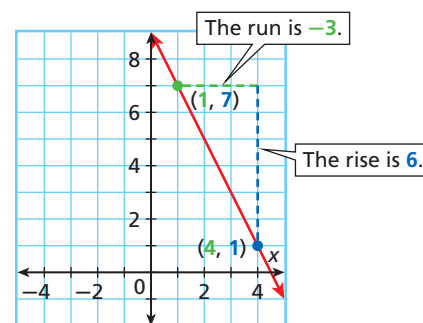
Why? Real-world situations that involve a rate of change, such the steepness of a road over a given distance, can be expressed as the ratio of rise over run.

$$\text{slope} = \frac{\text{rise}}{\text{run}} = \frac{6}{-3} = -2$$

You can also use the slope formula to determine the slope of a line.

$$m = \frac{y_2 - y_1}{x_2 - x_1}$$

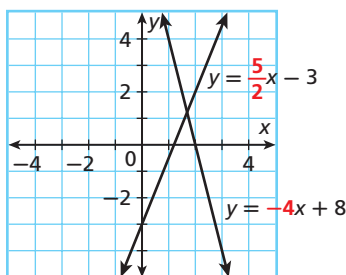
$$m = \frac{7 - 1}{1 - 4} = -2$$



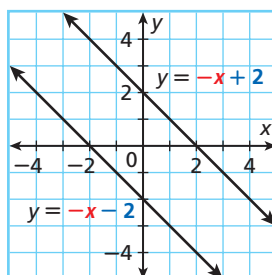
Classifying Lines as Parallel, Intersecting, or Coinciding

Lessons 3-5, 3-6

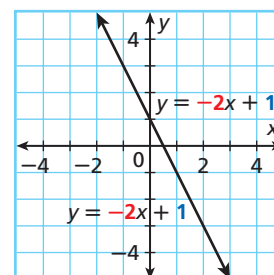
Why? Two real-world situations with the same rate of change, but different initial values, can be modeled by parallel lines.



Intersecting lines have **different slopes**.



Parallel lines have the **same slope** but **different y-intercepts**.



Coinciding lines have the **same slope** and **same y-intercepts**.

Writing Equations of Lines

Lesson 3-6

Why? A linear relationship between two variables can be represented by an equation in point-slope form or slope-intercept form. The equation can then be used to analyze the relationship.

A line has a slope of 2 and a y-intercept of -5 , and contains the point $(3, 1)$.

Point-Slope
Form of the Equation

$$y - y_1 = m(x - x_1)$$

$$y - 1 = 2(x - 3)$$

Slope-Intercept
Form of the Equation

$$y = mx + b$$

$$y = 2x - 5$$